The Non-rigid 3D Shape Descriptors Analysis

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Abstract. For 3D shape descriptors, an effective and efficient feature is the key to popularize its applications in 3D domain where the major challenge lies in designing an effective high-level feature. The strategy of exploring these characteristics is the core of extracting effective 3D shape features. In this paper, we propose a 3D shape descriptor using principle component analysis of obtained point signatures which makes different shape descriptors and obtain the better shape descriptors by comparison. Then we use shape retrieval to examine obtained shape descriptors.

1. Introduction

With the advent of the information age, all of these applications require efficient automated storage, identification and retrieval of 3D models. Research on non-rigid body three-dimensional shape retrieval technology is one of the most important problems to be solved in the field of 3D model retrieval.

1.1 Related Work

Shape descriptors for shape matching and retrieval have been extensively studied in the geometry community. In the past decades, plenty of shape descriptors have been proposed; these include the D2 shape distribution [1], statistical moments of 3D model [2], Fourier descriptor [3], [4], light field descriptor [5,7] and eigenvalue descriptor [6,8], etc.

Another popular approach to shape retrieval uses the diffusion-based point signatures [9], [10], [11]. Based on the Laplace-Beltrami operator, the global point signature (GPS) [12] was proposed to represent shapes. Another widely used shape signature is heat kernel signature (HKS) [9], where the diagonal of the heat kernel is used as a local descriptor to represent shapes.

1.2 Contribution

In this paper, we achieve PCA preprocessing of point descriptors and shape descriptors in order to reducing dimensionality, Using weighted averaging directly on the point descriptors of shapes rather than employing dictionary leaning to obtain shape descriptors is a flash point. Our method perform more simple and reach almost 99% mean average precision on the challenging“SHREC’14 Humans-scanned” data set. Furthermore, we do not add runtime while improving testing accuracy.

2. Approach

Capturing their intrinsic and finding shape representation so that similar shapes have proportionally similar descriptor is our primary task. We must guarantee the shape representation is changeless with a variety of deformations about non-rigid shapes.

2.1 Point Descriptors

Local feature descriptors have proven to play an important role in shape analysis tasks such as shape matching (point-to-point correspondence) and shape retrieval, and we describe the three most commonly used ones below.

2.2 Scale Invariant Heat Kernel Signature

Wave Bronstein and Kokkinos [14] developed a scale invariant thermo-nuclear signature (siHKS) using logarithms, derivatives and Fourier transforms from the time domain to the frequency domain. The authors first construct a covariant thermo-nuclear coercion:
\[
scHKS(x, x) = \sum_{k=1}^{K} \lambda_k \beta^k \log \beta e^{-i\omega t} \phi_k(x)^2 \\
 \sum_{k=1}^{K} e^{-i\omega t} \phi_k(x)^2
\]  

At q frequencies \( \{ \zeta_1, \zeta_2, \ldots, \zeta_q \} \):

\[
\text{siHKS}(x, x) = (|H(\zeta_1)|, \ldots, |H(\zeta_q)|)^T
\]

2.3 Wave Kernel Signature

Wave Kernel Signature (WKS) \[13\] Inspired by Quantum Mechanics - Describes the average probability over time to locate particles. The energy distribution of a quantum particle depends on the LBO eigenvalue. Therefore, a particle's wave equation can be written as

\[
\sigma_E(x, t) = \sum_{k=0}^{\infty} e^{i\lambda_k t} \phi_k(x) f_E(\lambda_k).
\]

Evaluating with energy distribution \( \{ \pi_1, \ldots, \pi_q \} \), we get the vector of Wave Kernel Signature:

\[
WKS(E, x) = (\pi_{c1}(x), \ldots, \pi_{c2}(x))^T
\]

2.4 Weighted Average

We calculate all the point descriptors \( d(x) \) computed from the point \( x \) of the given shape \( S \), and then obtain the weighted average of the points \( p \) after PCA(p(x)).

\[
z_{f}(x) = \sum_{x \in S} m_x h(x) \quad \text{with} \quad m_x = \frac{a_x}{\sum_{x \in S} a_x}
\]

\( a_x \) is the surface element associated with vertex \( x \in S \). This weighted average is inspired by the co-ordinating steps proposed by Litman et al. But the difference is that we do not use sparse coding.

We compared three different shape descriptors, average WKS, average siHKS, and their combinations, which we call the Combined Spectral Descriptor (CSD):

\[
z_{f,CSD}(S) = \begin{pmatrix} zWKS(S) \\ zsiHKS(S) \end{pmatrix}
\]

3. Experiments

3.1 Datasets

We evaluated our method on two data sets of SHREC'14-Shape Retrieval of Non-Rigid 3D Human Models \[15\] . We use the assessment code \[15\] provided to calculate several accuracy indicators: Nearest Neighbors, Level 1, Level 2, Discount Cumulative Gains, Electronic Measurements, f-Measurements, Accuracy, and Recalls.

3.2 Evaluation Setting

Evaluation settings. We truncate the basis of leveraged buyouts to the first 100 eigenfunctions. Based on them, we calculate the 50-dimensional siHKS descriptor using the same settings as in \[16\] the and 100-dimensional WKS descriptors and set the variance to 6.

<p>| Table 1. CSD and CSD+LMNN and CSD+LMNN+PCA evaluation |
|----------------|----------------|----------------|</p>
<table>
<thead>
<tr>
<th>Metric</th>
<th>CSD</th>
<th>CSD+LMNN</th>
<th>CSD+LMNN+PCA</th>
</tr>
</thead>
<tbody>
<tr>
<td>nn</td>
<td>0.5200</td>
<td>0.9950</td>
<td>1</td>
</tr>
<tr>
<td>ft</td>
<td>0.4419</td>
<td>0.9703</td>
<td>0.9842</td>
</tr>
<tr>
<td>st</td>
<td>0.6300</td>
<td>0.9983</td>
<td>0.9983</td>
</tr>
<tr>
<td>em</td>
<td>0.3428</td>
<td>0.4390</td>
<td>0.4390</td>
</tr>
<tr>
<td>dcg</td>
<td>0.6794</td>
<td>0.9935</td>
<td>0.9968</td>
</tr>
<tr>
<td>fn</td>
<td>0.4419</td>
<td>0.9703</td>
<td>0.9842</td>
</tr>
</tbody>
</table>
In combination with LMNN and CSD (Table 1), our LMNN method achieved significant results. In combination with LMNN before and after PCA processing, the results of after PCA processing is better. Although the SHREC’14 dataset is considered to be very challenging.

Table 2. Comparison of search methods based on the average accuracy (mAP, expressed in%) of SHREC’14 3D human model datasets.

<table>
<thead>
<tr>
<th>method</th>
<th>real</th>
</tr>
</thead>
<tbody>
<tr>
<td>siHKS</td>
<td>62.00%</td>
</tr>
<tr>
<td>siHKS+LMNN</td>
<td>90.83%</td>
</tr>
<tr>
<td>SiHKS+LMNN+PCA</td>
<td>92.92%</td>
</tr>
<tr>
<td>WKS</td>
<td>33.75%</td>
</tr>
<tr>
<td>WKS+LMNN</td>
<td>89.17%</td>
</tr>
<tr>
<td>WKS+LMNN+PCA</td>
<td>92.50%</td>
</tr>
<tr>
<td>CSD</td>
<td>50.75%</td>
</tr>
<tr>
<td>CSD+LMNN</td>
<td>98.75%</td>
</tr>
<tr>
<td>CSD+LMNN+PCA</td>
<td>99.58%</td>
</tr>
</tbody>
</table>

the results of the method of participating in the SHREC’14 competition is recorded in the recent learning methods presented in references [15] and [26]. we report the results of our method, averaging more than 5 times (different training / test set splits).

Table 1, 2 shows the results of LMNN learning steps before and after pca processing. As we have seen, despite the loss of projection from three-dimensional information, LMNN captures the distinguishing features of categories for easy visualization.

We note that after the PCA dimension reduction processing time also decreased. This is a very small amount of time compared to the supervised dictionary learning approach proposed in [14], which took nearly 4 hours on the 3.2GHz.

4. Conclusion

In this paper, we demonstrate that PCA processing of point descriptors and metric learning can significantly improve the classification accuracy of known descriptors. Taking into account a large number of features, PCA processing can be used to reduce the dimension, reduce the amount of computation and shorten the computation time.

Acknowledgments

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References


