

Multiple Powers Allocation Strategy under Sensing/Transmission Frame Structure in Cognitive Radio Networks

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Abstract—In the traditional opportunity spectrum access cognitive radio system (OSA), the state of the primary user is assumed to be constant during the entire frame duration, the secondary user accesses licensed band with proper power only when primary user is detected idle. In fact, the state of the primary user may change at any time, on the premise of ensuring that the quality of service of primary user and secondary user to make full use of the channel, we proposed a new power allocation strategy based on the four states and three power under sensing/transmission frame structure. In this strategy, secondary user is assigned to three different types of access power for the four kinds of states in the process of sensing, considering the effect of activity of the primary user to the system throughput, adopting frame structure that maximizes the sensing period and the data transmission period at the same time, to avoid the sensing-throughput tradeoff, aiming to achieve the maximum throughput. The simulation results show that compared to the new power allocation strategy in this paper and conventional power allocation strategy, proposed strategy in this paper has obvious improvement for throughput. In addition, the proposed system throughput is associated with the target detection probability and the primary user's signal-to-noise ratio received at the secondary user.

Keywords—cognitive radio; power allocation; spectrum sensing; spectrum sharing; throughput maximization

I. INTRODUCTION

With the rapid development of wireless communication technology, the requirements of information transmission speed and quality unceasing enhancement, the spectrum scarcity has been significantly amplified out. Cognitive radio technology^{[1]-[3]} is an effective method to improve spectrum utilization, allowing secondary users to access the licensed frequency band under the condition of protecting the quality of service (QoS) of the primary users, greatly improving the spectrum efficiency and system capacity. Now the main spectrum access technology are opportunity spectrum access (OSA)^{[4]-[5]} and spectrum sharing (SS)^{[6]-[8]}.

At present, most of the research assume that the state of the primary user not changed in a frame, and to do two powers optimization for secondary user to access licensed band, namely that secondary user uses low power to access when primary user is detected busy; Otherwise using the high power. But the primary user state may change in a frame, if secondary user uses a high power to access, may be causing a larger interference to primary user when primary

user from busy to idle; If secondary user uses a low power to access, may be causing that secondary user failed to make full use of licensed band when primary from busy to idle. In [9], discussing the problem of sensing-throughput tradeoff on the premise of fixing high target detection probability, in order to determine the optimal time of sensing to maximize the system throughput. The new frame structure proposed in [10] (named sensing/transmission frame structure in this paper), this frame structure overcomes the problem of sensing-throughput tradeoff, the simulation results show that this method compared with the conventional frame structure to increase the system throughput. The influence of activity of primary user to cognitive network is studied in [11]-[12], primary user can random arrive and departure during the frame with the actual environment. Among them, in [12] discussing the influence of multiple primary users of random arrive and departure to throughput. The conventional power allocation strategy is proposed in [13], which based on sensing/transmission frame structure with four states and two powers, achievable throughput have a sharply higher than [9]-[11], but the power allocation strategy in [13] still can be further optimized in regard to the power of secondary user access the licensed band.

In this paper, we proposed a new power allocation strategy which based on the sensing/transmission frame structure with four states and three powers in spectrum sharing cognitive radio networks, to do three powers optimization for secondary user to access the licensed band, and take into account the primary user activity, to maximize the system throughput as the optimization goal. The channel capacity and system achievable throughput of new power allocation strategy are derived in theory, in addition we discuss the influence of the target probability of detection and the primary user's signal-to-noise ratio received at the secondary user to achievable throughput, and compared to the conventional power allocation strategy in [13].

II. SYSTEM MODEL AND DERIVATION

We consider the cognitive radio system presented in Fig. 1. Let g and h denote the channel from the secondary transmitter (SU-TX) to the secondary receiver (SU-RX) and the primary receiver (PU-RX), respectively. The channels g and h are assumed to be ergodic, stationary and known at the secondary users. Whereas the noise is assumed to be circularly symmetric complex Gaussian (CSCG) with mean zero and variance σ_n^2 , namely $CN(0, \sigma_n^2)$.

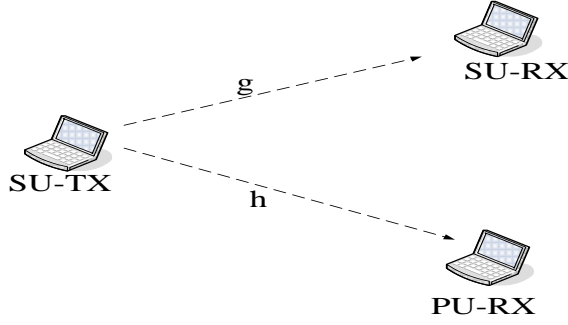


Figure 1. System model.

A. Sensing/Transmission Frame Structure

Sensing/transmission frame structure is adopted in this paper in Fig.2, achieving it rely on the special decoding device at secondary user receiver in Fig.3. Sensing/transmission frame structure exhibits several advantages, such as data transmission period and sensing period cover the whole duration of the frame, and effectively solved the problems of the tradeoff of sensing-transmission.

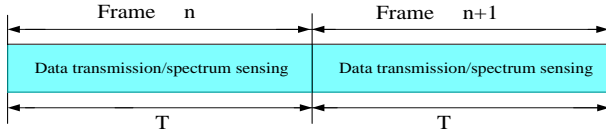


Figure 2. Sensing/Transmission Frame Structure.

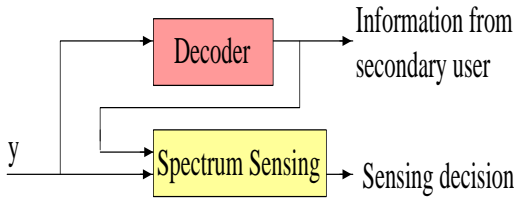


Figure 3. Decoder of secondary user receiver

The received signal at the secondary user is given by

$$y = \theta x_p + x_s + n \quad (1)$$

where θ denotes the actual status of the frequency band ($\theta=1$ when it is active, $\theta=0$ when it is idle), x_p denotes the received signal from the primary users that use the frequency band, x_s represents the signal from the secondary transmitter and finally n denotes the additive noise.

B. The Four State Model Based on Sensing/Transmission Frame Structure

In the sensing/transmission frame structure, the primary user traffic is modeled as a 1-0 random process, where '1' represents primary busy and '0' represents primary idle. Exponential holding time is assumed for each status, with mean parameter λ for '1' and mean parameter μ for '0' [11]. At any time instant, the primary user is busy with probability

$P_b = \frac{\lambda}{\lambda + \mu}$, and idle with probability $P_e = 1 - P_b$. The transition probability is given by [11]

$$p(T) = \begin{pmatrix} p_{00}(T) & p_{01}(T) \\ p_{10}(T) & p_{11}(T) \end{pmatrix} = \frac{1}{\lambda + \mu} \begin{pmatrix} \lambda + \mu e^{-(\lambda + \mu)T} & \mu - \mu e^{-(\lambda + \mu)T} \\ \lambda - \lambda e^{-(\lambda + \mu)T} & \mu + \lambda e^{-(\lambda + \mu)T} \end{pmatrix}. \quad (2)$$

It is further assumed that the primary user state transition occurs at most once within each frame. The case of two transitions in one frame is also examined by simulation but is not analyzed. Based on the above assumptions, the quaternary hypothesis testing problem [13] given by (3)

C. The Four States and Three Power Allocation Strategy Based on Sensing/Transmission Frame Structure

In the conventional power allocation strategy, primary user is assumed that state remains unchanged in the frame, so when primary user is detected busy, secondary user use a low transmit power; otherwise, secondary user use a high transmit power. In fact, state of primary user may have changed in any time, if secondary user in a high power to access, May be causing a larger interference to primary user when primary user from busy to idle; If secondary user in a low power to access, may be causing that secondary user failed to make full use of licensed band when primary from busy to idle. Giving consideration to the above two cases, we proposed a new power allocation strategy.

$$y = \begin{cases} \sum_{i=1}^J n_i^2, & H_{00}, \\ \sum_{i=1}^d (x_{pi} + n_i)^2 + \sum_{i=d+1}^J n_i^2, & H_{10}, \\ \sum_{i=1}^J (x_{pi} + n_i)^2, & H_{11}, \\ \sum_{i=1}^a n_i^2 + \sum_{i=a+1}^J (x_{pi} + n_i)^2, & H_{01}. \end{cases} \quad (3)$$

In this paper, assuming that primary user state transition occurs at most once within adjacent two frame, and calculate throughput of the latter frame, secondary user access licensed band by the spectrum sharing model, as follow H_{10} state: The primary user is busy for d samples and then stay idle during the rest of the frame, in this case, secondary user use a high transmit power p_0 ; H_{01} state: The primary user is idle for a samples and then stay busy during the rest of the frame, in this case, secondary user use a low transmit power p_1 ; H_{00} state: the primary user is always idle during the former frame, it could remain idle state or from idle to busy, in this case, secondary user use a medium transmit power p_m ; H_{11} state: this state is similar to state H_{00} , secondary user use a medium transmit power p_m . Among them: $p_1 < p_m < p_0$.

The unconditional probability of false alarm and the unconditional probability of detection can be found in [13] as follow

$$\begin{aligned} P_{faN}(\varepsilon, J) &= \frac{P_{H_{00}}(T)P_{faH_{00}}(\varepsilon, J)}{P_{H_{00}}(T) + P_{H_{10}}(T)} + \frac{P_{H_{10}}(T)P_{faH_{10}}(\varepsilon, J)}{P_{H_{00}}(T) + P_{H_{10}}(T)}, \\ P_{dN}(\varepsilon, J) &= \frac{P_{H_{11}}(T)P_{dH_{11}}(\varepsilon, J)}{P_{H_{11}}(T) + P_{H_{01}}(T)} + \frac{P_{H_{01}}(T)P_{dH_{01}}(\varepsilon, J)}{P_{H_{11}}(T) + P_{H_{01}}(T)}, \end{aligned} \quad (4)$$

where $P_{H_{xy}}(T)$ is the probability of state H_{xy} , $P_{faH_{x0}}(\varepsilon, J)$ and $P_{dH_{xy}}(\varepsilon, J)$ respectively is the conditional probability of state H_{x0} and H_{0y} , $x, y \in \{0, 1\}$.

Once the spectrum sensing in (3) is completed, the secondary transmission starts according to the sensing information to decide transmit power, as follow H00 state: The channel capacity is affected by the primary user traffic, and the instantaneous channel capacity of primary user remain idle in a later frame system can be derived as

$$K_{H_{00}} = \log_2 \left(1 + \frac{g_{ss} P_m}{N_0} \right), \quad (5)$$

The instantaneous channel capacity of primary user from idle to busy in a later frame system can be derived as

$$K_{H_{00}}(a)' = \log_2 \left(1 + \frac{g_{ss} P_m}{N_0 + \frac{J-a}{J} g_{ps} P_u} \right), \quad 0 \leq a \leq J, \quad (6)$$

N_0 is additive white Gaussian noise (AWGN), g_{ss} is channel gain of channel g , g_{ps} is the channel gain of primary user to secondary user. Therefore, the achievable throughput can be derived as

$$\begin{aligned} R_{H_{00}} &= P_{H_{00}}^2(T) K_{H_{00}} + P_{H_{00}}(T) P_{H_{01}}(T) K_{H_{00}}(a)' \\ &= \alpha_1 K_{H_{00}} + \alpha_2 K_{H_{00}}(a)', \end{aligned} \quad (7)$$

Where $\alpha_1 = P_{H_{00}}^2(T)$, $\alpha_2 = P_{H_{00}}(T)P_{H_{01}}(T)$, α_1 and α_2 respectively corresponding to the probability of channel capacity $K_{H_{00}}$ and $K_{H_{00}}(a)'$. H01 state: according to the correctness of detection of the primary user by secondary user, we divided it into two case. The instantaneous channel capacity of wrong detect by secondary user can be derived as

$$K_{H_{01}} = \log_2 \left(1 + \frac{g_{ss} P_0}{N_0 + g_{ps} P_u} \right), \quad (8)$$

The instantaneous channel capacity of right detect by secondary user can be derived as

$$K_{H_{01}}' = \log_2 \left(1 + \frac{g_{ss} P_1}{N_0 + g_{ps} P_u} \right), \quad (9)$$

Therefore the achievable throughput under this state, as follow

$$\begin{aligned} R_{H_{01}} &= P_{H_{01}}(T) [1 - P_{dN}(\varepsilon, J)] K_{H_{01}} + P_{H_{01}}(T) P_{dN}(\varepsilon, J) K_{H_{01}}' \\ &= \alpha_3 K_{H_{01}} + \alpha_4 K_{H_{01}}', \end{aligned} \quad (10)$$

Where $\alpha_3 = P_{H_{01}}(T) [1 - P_{dN}(\varepsilon, J)]$, $\alpha_4 = P_{H_{01}}(T) P_{dN}(\varepsilon, J)$, α_3 and α_4 respectively corresponding to the probability of channel capacity $K_{H_{01}}$ and $K_{H_{01}}'$. H11 state: similar to state H00, the channel capacity is affected by the primary user traffic, and the instantaneous channel capacity of primary user remain busy in a later frame system can be derived as

$$K_{H_{11}} = \log_2 \left(1 + \frac{g_{ss} P_m}{N_0 + g_{ps} P_u} \right), \quad (11)$$

The instantaneous channel capacity of primary user from busy to idle in a later frame system can be derived as

$$K_{H_{11}}(d)' = \log_2 \left(1 + \frac{g_{ss} P_m}{N_0 + \frac{d}{J} g_{ps} P_u} \right), \quad 0 \leq d \leq J, \quad (12)$$

Therefore the achievable throughput can be derived as

$$\begin{aligned} R_{H_{11}} &= P_{H_{11}}^2(T) K_{H_{11}} + P_{H_{11}}(T) P_{H_{10}}(T) K_{H_{11}}(d)' \\ &= \beta_1 K_{H_{11}} + \beta_2 K_{H_{11}}(d)', \end{aligned} \quad (13)$$

Where $\beta_1 = P_{H_{11}}^2(T)$, $\beta_2 = P_{H_{11}}(T)P_{H_{10}}(T)$, β_1 and β_2 respectively corresponding to the probability of channel capacity $K_{H_{11}}$ and $K_{H_{11}}(d)'$. H10 state: according to whether occurring false alarm for the primary user by secondary user, we divided it into two case. The instantaneous channel capacity of no false alarm occurring can be derived as

$$K_{H_{10}} = \log_2 \left(1 + \frac{g_{ss} P_0}{N_0} \right), \quad (14)$$

The instantaneous channel capacity of false alarm occurring can be derived as

$$K_{H_{10}}' = \log_2 \left(1 + \frac{g_{ss} P_1}{N_0} \right), \quad (15)$$

Therefore the achievable throughput can be derived as

$$\begin{aligned} R_{H_{10}} &= P_{H_{10}}(T) [1 - P_{faN}(\varepsilon, J)] K_{H_{10}} + P_{H_{10}}(T) P_{faN}(\varepsilon, J) K_{H_{10}}' \\ &= \beta_3 K_{H_{10}} + \beta_4 K_{H_{10}}', \end{aligned} \quad (16)$$

Where $\beta_3 = P_{H_{10}}(T) [1 - P_{faN}(\varepsilon, J)]$, $\beta_4 = P_{H_{10}}(T) P_{faN}(\varepsilon, J)$, β_3 and β_4 respectively corresponding to the probability of channel

capacity $K_{H_{10}}$ and $K_{H_{10}}'$. Being able to get achievable throughput of cognitive system using with (5)-(16), as follow

$$R_N = R_{H_{00}} + R_{H_{01}} + R_{H_{11}} + R_{H_{10}}, \quad (17)$$

(17) can be rewritten as:

$$\max_{\{p\}} \text{imize } R_N = E_{g_{ss}, g_{sp}} \left\{ \alpha_1 K_{H_{00}} + \alpha_2 K_{H_{00}}(a)' + \alpha_3 K_{H_{01}} + \alpha_4 K_{H_{01}}' \right. \\ \left. + \beta_1 K_{H_{11}} + \beta_2 K_{H_{11}}(d)' + \beta_3 K_{H_{10}} + \beta_4 K_{H_{10}}' \right\}, \quad (18)$$

Subject to

$$E_{g_{ss}, g_{sp}} \{ (\alpha_1 + \alpha_2 + \beta_1 + \beta_2) p_m + (\alpha_3 + \beta_3) p_0 + (\alpha_4 + \beta_4) p_1 \} \leq p_{av}, \quad (19)$$

$$E_{g_{ss}, g_{sp}} \{ (\alpha_2 + \beta_1 + \beta_2) p_m g_{sp} + \alpha_3 p_0 g_{sp} + \alpha_4 p_1 g_{sp} \} \leq \Gamma, \quad (20)$$

(19) and (20) respectively represents average transmit and interference power constraint, $p_0 \geq 0$, $p_1 \geq 0$, $p_m \geq 0$, g_{sp} is channel gain of channel h.

The Lagrangian with respect to the transmit powers p_0 , p_1 and p_m is given by

$$L(p_0, p_1, p_m, \lambda, \mu) \\ = E_{g_{ss}, g_{sp}} \left\{ \alpha_1 K_{H_{00}} + \alpha_2 K_{H_{00}}(a)' + \alpha_3 K_{H_{01}} + \alpha_4 K_{H_{01}}' \right. \\ \left. + \beta_1 K_{H_{11}} + \beta_2 K_{H_{11}}(d)' + \beta_3 K_{H_{10}} + \beta_4 K_{H_{10}}' \right\} \\ - \lambda \left[E_{g_{ss}, g_{sp}} \{ (\alpha_1 + \alpha_2 + \beta_1 + \beta_2) p_m + (\alpha_3 + \beta_3) p_0 + (\alpha_4 + \beta_4) p_1 \} - p_{av} \right] \\ - \mu \left[E_{g_{ss}, g_{sp}} \{ (\alpha_2 + \beta_1 + \beta_2) p_m g_{sp} + \alpha_3 p_0 g_{sp} + \alpha_4 p_1 g_{sp} \} - \Gamma \right], \quad (21)$$

Whereas the dual function can be obtained by

$$d(\lambda, \mu) = \sup_{p_0, p_1, p_m} L(p_0, p_1, p_m, \lambda, \mu), \quad (22)$$

In order to calculate the dual function $d(\lambda, \mu)$, the supremum of the Lagrangian with respect to the transmit powers p_0 , p_1 and p_m needs to be obtained. We therefore apply the primal-dual-decomposition method[14], which facilitates the solution of the joint optimization problem by decomposing it into three convex single-variable optimization problems, one for each of the transmit powers p_0 , p_1 and p_m , as follows:

Subproblem 1:

$$\max_{\{p_0 \geq 0\}} i \min e \\ f_1(p_0) = E_{g_{ss}, g_{sp}} \left\{ \alpha_3 \log_2 \left(1 + \frac{g_{ss} p_0}{N_0 + g_{ps} p_u} \right) + \beta_3 \log_2 \left(1 + \frac{g_{ss} p_0}{N_0} \right) \right\} \\ - \lambda E_{g_{ss}, g_{sp}} \{ (\alpha_3 + \beta_3) p_0 \} - \mu E_{g_{ss}, g_{sp}} \{ \alpha_3 p_0 g_{sp} \}. \quad (23)$$

Subproblem 2:

$$\max_{\{p_1 \geq 0\}} i \min e \\ f_2(p_1) = E_{g_{ss}, g_{sp}} \left\{ \alpha_4 \log_2 \left(1 + \frac{g_{ss} p_1}{N_0 + g_{ps} p_u} \right) + \beta_4 \log_2 \left(1 + \frac{g_{ss} p_1}{N_0} \right) \right\} \\ - \lambda E_{g_{ss}, g_{sp}} \{ (\alpha_4 + \beta_4) p_1 \} - \mu E_{g_{ss}, g_{sp}} \{ \alpha_4 p_1 g_{sp} \}. \quad (24)$$

Subproblem 3:

$$\max_{\{p_m \geq 0\}} i \min e \\ f_3(p_m) = E_{g_{ss}, g_{sp}} \left\{ \alpha_1 \log_2 \left(1 + \frac{g_{ss} p_m}{N_0} \right) + \alpha_2 \log_2 \left(1 + \frac{g_{ss} p_m}{N_0 + \frac{J-a}{J} g_{ps} p_u} \right) \right. \\ \left. + \beta_1 \log_2 \left(1 + \frac{g_{ss} p_m}{N_0 + g_{ps} p_u} \right) + \beta_2 \log_2 \left(1 + \frac{g_{ss} p_m}{N_0 + \frac{d}{J} g_{ps} p_u} \right) \right\} \\ - \lambda E_{g_{ss}, g_{sp}} \{ (\alpha_1 + \alpha_2 + \beta_1 + \beta_2) p_m \} - \mu E_{g_{ss}, g_{sp}} \{ (\alpha_2 + \beta_1 + \beta_2) p_1 g_{sp} \}. \quad (25)$$

After forming their Lagrangian functions and applying the Karush-Kuhn-Tucker (KKT) conditions, the optimal powers p_0 , p_1 and p_m for given λ, μ are given by

$$p_0 = \left[\frac{A_0 + \sqrt{\Delta_0}}{2} \right]^+, \quad p_1 = \left[\frac{A_1 + \sqrt{\Delta_1}}{2} \right]^+, \\ p_m = -\frac{B_0}{4} + \frac{1}{2} \sqrt{\frac{B_0^2 - 2B_1}{3} + \Delta_4} + \frac{1}{2} \sqrt{\frac{B_0^2 - 4B_1}{3} - \Delta_4} + \frac{-B_0^3 + 4B_0 B_1 - 8B_2}{4 \sqrt{\frac{B_0^2 - 2B_1}{3} + \Delta_4}}, \quad (26)$$

Where $[x]^+ = \max(0, x)$. The parameters in the formula (26) can be seen at appendix.

In order to determine the optimal power allocation strategy, the optimal values of the Lagrangian multipliers λ, μ that minimize the dual function $d(\lambda, \mu)$ need to be found. The ellipsoid method[15] is used here to find the optimal solution, which requires the subgradient of the dual function $d(\lambda, \mu)$. The latter is given by the following proposition.

Proposition 1: The subgradient of the dual function $d(\lambda, \mu)$ is $[D, E]$, where D and E are given by

$$D = p_{av} - E_{g_{ss}, g_{sp}} \{ (\alpha_1 + \alpha_2 + \beta_1 + \beta_2) p_m + (\alpha_3 + \beta_3) p_0 + (\alpha_4 + \beta_4) p_1 \}, \quad (27)$$

$$E = \Gamma - E_{g_{ss}, g_{sp}} \{ (\alpha_2 + \beta_1 + \beta_2) p_m g_{sp} + \alpha_3 p_0 g_{sp} + \alpha_4 p_1 g_{sp} \}. \quad (28)$$

Where $\lambda \geq 0$ and $\mu \geq 0$, p_0 , p_1 and p_m denote the optimal power allocation in (22) for fixed λ and μ .

The algorithm that acquires the optimal power allocation strategy that maximizes the ergodic capacity of the proposed spectrum sharing cognitive radio system is presented in the following table.

TABLE I. ALGORITHM

Algorithm: The four state and three power allocation strategy in the cognitive radio system.
1. Initialize λ, μ .
2. Repeat:
-calculate p_0, p_1 and p_m using (26)—(29k);
-update λ, μ using the ellipsoid method;
3. Until λ, μ converge.

III. NUMERICAL RESULTS AND DISCUSSION

In this section, we present simulation results for the new power allocation strategy and compare it with the conventional power allocation strategy under sensing/transmission frame structure. The frame duration is set to $T=100\text{ms}$, the sampling frequency $f_s=6\text{MHz}$, g_{ss} , g_{ps} and g_{sp} are exponentially distributed, and $E\{g_{ss}\} = E\{g_{ps}\} = E\{g_{sp}\} = 1$.

In Fig.4, we present the achievable throughput versus the additional channel power gain g_{sp} of SU-TX to PU-TX for the new power allocation strategy and the conventional power allocation strategy in [13]. The target probability of detection is set to $P_d=0.99$, the primary user's signal-to-noise ratio (SNR) received at the secondary users is set to $\gamma_p=-10\text{dB}$, and the mean channel holding time λ and μ is set to $\lambda=\mu=10$. One can clearly see that the achievable throughput of the new power allocation strategy is higher compared to the conventional power allocation strategy. This is due to on the promise of protecting the quality of service of primary users, the new power allocation strategy allows secondary user access licensed band for sending data when primary user is busy, so improving the system achievable throughput. Moreover, it can be seen from Fig.5 that with the increase of g_{sp} , the system achievable throughput decrease, which is due to with increasing the channel gain g_{sp} , the interference of cognitive users to primary users also increase, but the primary users can withstand interference is limited, in order to protect the performance of the primary user, appropriate to reduce the sending power of cognitive users, thus caused the fall of system achievable throughput.

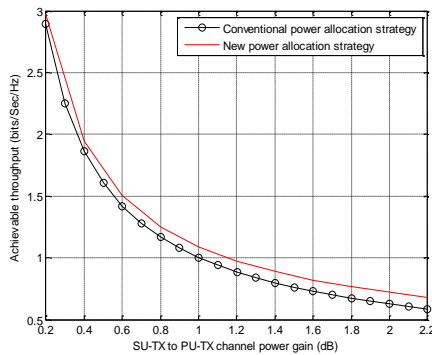


Figure 4. Achievable throughput of the new power allocation strategy and the conventional power allocation strategy versus the additional channel power gain.

In Fig.5, the achievable throughput versus the target detection probability P_d for the new power allocation strategy and the conventional power allocation strategy. γ_p is set to $\gamma_p=-10\text{dB}$ and the mean channel holding time λ and μ is set to $\lambda=\mu=10$. One can clearly see that with the improvement of target detection probability, whether it is a new power allocation strategy or a traditional power allocation strategy, the system achievable throughput will present a downward trend. Moreover the system of new power allocation strategy can achieve throughput significantly higher than under the same conditions of the system of traditional power allocation strategy. This is due to under the high probability of target detection, the new power allocation strategy based on three power allocation not only can better protect the user, also can obtain higher throughput.

In Fig.6, we present the achievable throughput versus the additional channel power gain g_{sp} of SU-TX to PU-TX for the new power allocation strategy and the conventional power allocation strategy for the different γ_p . The target probability of detection is set to $P_d=0.99$ and the mean channel holding time λ and μ is set to $\lambda=\mu=10$. We can clearly see that with the reduce of the γ_p , the system achievable throughput is also have obvious drop. This is due to with the reduce of primary user's SNR received at the secondary user, the effect of sensing of secondary user will fall, this will lead to false-alarm probability of cognitive users increase, therefore the secondary user is difficult to send the data access licensed channel, so cause the loss of system achievable throughput. Moreover the system of new power allocation strategy can achieve throughput higher than under the same conditions of the system of traditional power allocation strategy.

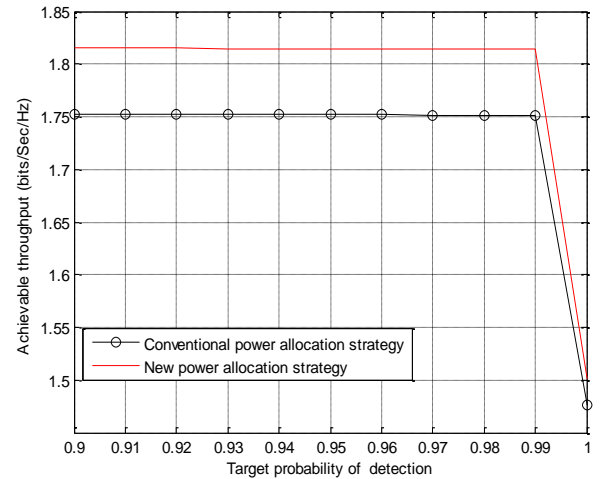


Figure 5. Achievable throughput of the new power allocation strategy and the conventional power allocation strategy versus the target probability of detection.

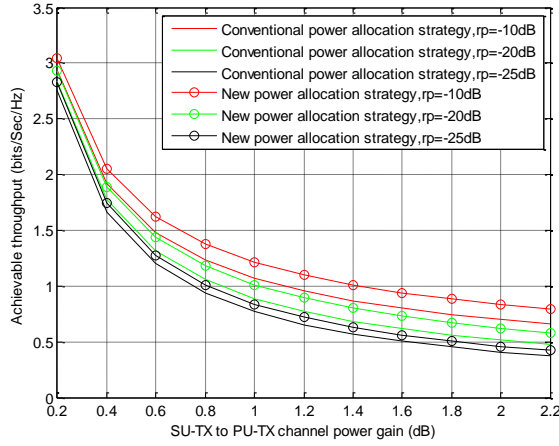


Figure 6. Achievable throughput of the new power allocation strategy and the conventional power allocation strategy versus the additional channel power gain gsp for the different typ.

IV. CONCLUSIONS

In this paper, we proposed a new power allocation strategy in the spectrum sharing access model, in a more realistic scenario, considering that the primary user arrives or leaves at any time, we distribute three different types of access power for four kinds of states of sensing, aiming to maximize the system throughput. Simulation results show that compared with the conventional power allocation strategy, the new power allocation strategy has the obvious enhancement and improvement in achievable throughput. Moreover the target probability of detection and the primary user's signal-to-noise ratio received at the secondary user have an impact on achievable throughput, but the overall performance of the new power allocation strategy is still superior to the conventional power allocation strategy in [13].

APPENDIX

The parameters in the formula (26) as shown:

$$A_0 = \frac{\alpha_3 + \beta_3}{[\lambda(\alpha_3 + \beta_3) + \mu\alpha_3 g_{sp}] \ln 2} - \frac{2N_0 + g_{ps} P_u}{g_{ss}}, \quad (29a)$$

$$\Delta_0 = A_0 - \frac{g_{ss}}{4} \left\{ \frac{N_0(N_0 + g_{ps} P_u)}{g_{ss}} - \frac{\alpha_3 N_0 + \beta_3(N_0 + g_{ps} P_u)}{[\lambda(\alpha_3 + \beta_3) + \mu\alpha_3 g_{sp}] \ln 2} \right\}, \quad (29b)$$

$$A_1 = \frac{\alpha_4 + \beta_4}{[\lambda(\alpha_4 + \beta_4) + \mu\alpha_4 g_{sp}] \ln 2} - \frac{2N_0 + g_{ps} P_u}{g_{ss}}, \quad (29c)$$

$$\Delta_1 = A_1 - \frac{g_{ss}}{4} \left\{ \frac{N_0(N_0 + g_{ps} P_u)}{g_{ss}} - \frac{\alpha_4 N_0 + \beta_4(N_0 + g_{ps} P_u)}{[\lambda(\alpha_4 + \beta_4) + \mu\alpha_4 g_{sp}] \ln 2} \right\}, \quad (29d)$$

$$\Delta_4 = \frac{\sqrt[3]{2\Delta_2}}{3\sqrt[3]{\Delta_3 + \sqrt{-4\Delta_2^2 + \Delta_3^2}}} + \frac{\sqrt[3]{\Delta_3 + \sqrt{-4\Delta_2^2 + \Delta_3^2}}}{3\sqrt[3]{2}}, \quad (29e)$$

$$\Delta_2 = B_1^2 - 3B_0B_2 + 12B_3, \quad (29f)$$

$$\Delta_3 = 2B_1^3 - 9B_0B_1B_2 + 27B_2^2 + 27B_0^2B_3 - 72B_1B_3, \quad (29g)$$

$$B_0 = a' + b' + c' + d' - \frac{\alpha_1 + \alpha_2 + \beta_1 + \beta_2}{M \ln 2}, \quad (29h)$$

$$B_1 = a'b' + a'c' + a'd' + b'c' + b'd' + c'd' - \frac{1}{M \ln 2} [\alpha_1(b' + c' + d') + \alpha_2(a' + c' + d') + \beta_1(a' + b' + d') + \beta_2(a' + b' + c')], \quad (29i)$$

$$B_2 = a'b'c' + a'b'd' + a'c'd' + b'c'd' - \frac{1}{M \ln 2} [\alpha_1(b'c' + b'd' + c'd') + \alpha_2(a'c' + a'd' + c'd') + \beta_1(a'b' + a'd' + b'd') + \beta_2(a'b' + a'c' + b'c')], \quad (29j)$$

$$B_3 = a'b'c'd' - \frac{1}{M \ln 2} (\alpha_1b'c'd' + \alpha_2a'c'd' + \beta_1a'b'd' + \beta_2a'b'c'), \quad (29k)$$

where $M = \lambda(\alpha_1 + \alpha_2 + \beta_1 + \beta_2) + \mu(\alpha_2 + \beta_1 + \beta_2)g_{sp}$,

$$a' = \frac{N_0}{g_{ss}}, \quad b' = \frac{N_0 + \frac{J-a}{J}g_{ps}P_u}{g_{ss}}, \quad c' = \frac{N_0 + g_{ps}P_u}{g_{ss}},$$

$$d' = \frac{N_0 + \frac{d}{J}g_{ps}P_u}{g_{ss}}.$$

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